# Multi-objective Model on Connection Time Optimization in Sea-rail Intermodal Transport

Qi Zhang, Hao Yang, Li Zhang

Abstract—Container sea-rail intermodal transport operation needs to consider some special demands both in volume and time connection. That means container sea-rail intermodal transport is a type of demand responsive transport between railroad trains and marine ships, vice versa. It needs to operate container trains according to the demands of ships in OD, volume, as well as the arrival and departure time. Basing on this responsive demand characteristic of sea-rail intermodal transport, the paper establishes a multi-objective optimal model for its connection time, aiming for maximizing the profits of carriers and minimizing the total transport costs of shippers, as well as minimizing the connection time between container trains and ships to optimizing the intermodal transport system. Modified genetic algorithm is adopted. The calculation results demonstrate that the model could be used to solve the connection problem of container sea-rail intermodal transport involved with volume and time connections.

Keywords—Connection time, Inland-port-transferring Railway Hub Container Transport System, multi-objective optimal model, responding transport, sea-rail intermodal transport

## I. INTRODUCTION

Container sea-rail intermodal transport is not the same as the regular freight transport. Its operation is beyond just one transport mode. The problems need to be settled in sea-rail intermodal transport operation include not only the original stations, terminal ports, flow volume, but also some special demands in volume and time connections between railroad trains and marine ships. That means the container sea-rail intermodal transport is a type of demand responsive transport with train-ship connecting efficiently with each other. This connection could effectively reduce the cycle time of containers and ships, as well as the costs of them both in ports and stations. For example, something could be arranged in advance before ships berthed in harbor by the assistance of advanced information system. It could get a groundage-saving about \$45000 for a third-generation container ship. And the

larger the ship is, the more the saving is.

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Railway Hub Container Transport System (RHCTS) is defined in reference [1] as a type of transport system covering specific areas and comprising a number of container stations, which belong to different transport modes and have different capacities and functions. Every RHCTS makes one or two railway logistics center(s) as its central station. All of the containers inbound or outbound a RHCTS are gathered in the railway logistics center and transported from this central station outside the system, vice versa. This logistics center is a national or regional hub in container transport railroad network.

#### II. LITERATURE REVIEWS

There were many researchers focused their studies on containers, including freight placement in container, container transport, competitiveness of container harbors, attractive powers of regions, and so on. For example Zhang (2011), Zhu (2010)[7], Yan (2004), Worawan S (2006), Nathan N H (2005)[21], Zhou (2003), Mohammad A A (2003)[16], Hossein J (2002), Sangeeta B (2001)[25], Ebru K B (1999), Diez R (1999), Alexandra M N (1998), Elizabeth G J (1996)[15], etc. Because of the development of world trade and container ports, many researches focused on the problems of ocean shipping and container ports, including the berth availability, the equipment allocation and utilization, the matching relationship between the loading and unloading machines with transferring equipments, store yard layout and management, empty containers back-transport, and so on. Researchers studied different theories, applied different methods and developed different models to solve the above problems. The research results were abundant, both in theories and practices.

Zhang (2011)[1] studied the theories of container sea-rail intermodal transport and put forward the 5R rules of it. That is Right goods, Right direction, Right volume, Right time and Right port. These 5Rs stressed the responsive and cooperative relationships between two different transport modes during the whole procession. It also showed the importance of connections due to these 5Rs of container sea-rail intermodal transport.

Wei Yan (2005)[3], Haifeng Yan (2004)[4], Yong Zhou (2003)[6] and Guo (2008)[9] studied respectively the rank of railway container stations in Chinese rail net, the business procession of container flows within the railway container central station, as well as the types of container trains between stations. The authors established multi-objective 0-1 optimal model to optimize the operation schemes of railway container trains.

Worawan S (2006)[17] studied deeply on the vehicle

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scheduling problems under both static and dynamic conditions in large scale. The author established a nonlinear integer programming model aiming for minimizing the running time of train. The GA was applied. The model considered many inner influencing factors on train operation, such as the types and traits of trains, the speed limitation of interval and station, the related parameters of lines, and so on. The research results had some real meanings.

Hossein J, Maged D, Petros L and Anastasios C (2005)[22][23] studied deeply on the multi Travel Salesman Problem with Time Window, m-TSPTW. The authors established a two-stage optimal model based on dynamic programming to get the best route for container trailer under the conditions of city network and multi-routes. Mixed genetic algorithm was applied to solve this problem with large scale.

For the container intermodal transport, Alexandra M N (1998)[24] studied the optimal problems of operation and management in container rail-highway intermodal transport. The author studied the volume allocation both in time and transport modes in intermodal transport. The objectives of the optimal model in this research included minimizing the total operation costs and meeting the timeliness demands in container transport.

Besides, many researches focused on the operation and management problems in container ports. For example, competitiveness, efficiency, operation costs, equipment investment, storage strategy, berth availability and utilization, all of these were becoming the research themes.

Ebru K B (1999)[18] and Diez R (1999)[19] studied the operation of inner logistics system of port in site location, equipment allocation, trailer route optimization, etc, applying the queuing theory, simulating technology and optimization theory. The research covered the main problems in container harbors.

Larry H, Fredrik W and Paul D (2007)[28] studied the container port inner system by Multi-Agent System method. The authors put forward that the turnover time of ship is a crucial parameter to the efficiency and competitiveness of port. The research divided the container port inner system into four subsystems, as ship-shoreside part, transfer part, storage part, pick-up and delivery part. The authors established a systemic model with parameters drawing from the four subsystems above to allocate and coordinate the port resources by MAS method.

Maurizio B, Azedine B and Mohamed R (2006)[29] established a goal-directed simulation model for container wharf business by UML chart design method. The authors made evaluations on the procession and efficiency of business in container wharf from three aspects, evaluating the alternative schemes of loading and unloading business of ship, evaluating the storage strategy of container yard, evaluating the allocation strategy of equipments. Time and costs were the criteria of evaluations.

This paper focuses on the problem of connecting time and its optimization in sea-rail intermodal transport from inland to container port. Based on the problem description and literature review above, the main contributions of this paper are described as follows.

- Basing on the responsive demand and 5R rules of container sea-rail intermodal transport, the paper establishes a multi-objective optimal model for the connection time, aiming for maximizing the profits of carriers, minimizing the total transport costs of shippers, as well as minimizing the connection time between container railroad trains and marine ships.
- 2) Modified genetic algorithm is adopted. Basing on the operational facts of Zhengzhou railway container central station, the model is verified to be useful and could be used to solve the connection problem of container sea-rail intermodal transport involved with volume and time connections. And the optimal connection time is given by the results of the model.

## III. SYMBOL NOTATIONS OF TIME CONNECTION MODEL

The variables and parameters in the time connection optimal model are illustrated as follow.

 $m_{sp}^{\ k}$ : the decision variable, it means the number of railroad cars of the  $k^{th}$  type of container train.

 $x_{sp}^{k}$ : the decision variable, it means the number of the  $k^{th}$  type of container train between the railway central station  $O(s_i)$  and container port  $D(p_i)$ .

 $Q_p^{\ rest}$  : the rest number of containers stored in port after the ship departure, TUE.

 $Q_p^{\ ship}$  : the number of containers needed by the ship departing from the port in schedule, TUE/ship.

 $n^{ship}_{p}$ : the number of container ships having the responsive relationships with container railroad trains and leaving from the port during the statistic time, ship.

 $N_p$ : the total number of container ships having the responsive relationships with container railroad trains, including both in schedule and left from the port during the statistic time, ship.

 $C_p^{\ ship}$ : the total ocean transport costs of container ship, Yuan/TEU.

 $c^{truck}_{\ \ p}$ : the operation cost of trailer transferring between container yard and shore-side, Yuan/trailer.

 $c_p^{\ zhx}$ : the total costs of loading and unloading operations of containers in port, Yuan/TEU.

 $c_p^{\ zc}$  : the unit storage cost of container in port yard, Yuan/TEU·h.

It needs to note something about the  $c_p^{\ zc}$ .

The responsive characteristic of sea-rail intermodal transport makes requirements on the operation of container railroad trains. It claims that the containers should arrive at the port in an appropriate duration. Either too early or too late arrival will add extra inventory costs of containers in port yard, and increase operational burden to the capability of container ports.

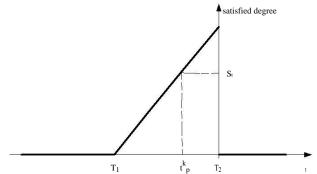


Fig. 1. Satisfied time duration of container arriving port

The appropriate arrival time in this paper is named as satisfied time duration, shown as Fig.1. The satisfied time duration  $[T_1, T_2]$  is the ideal or expected interval of container arrival time. Containers arriving at port in this interval could well meet the time-connection demand of ship departure.

As Fig.1 illustrated, the earliest and latest arrival time accepted by ship are  $T_1$  and  $T_2$  respectively. Supposed that containers are transported by the  $k^{th}$  container train to the container port named as D(p). The arrival time of these containers is defined as  $t_p^k$ . There exist three conditions as following:

--If  $t_p^k$  is in the ideal or expected time interval of  $[T_1, T_2]$ , the arrival time is satisfied.

--If  $t_p^k$  is in the time duration of  $[-\infty, T_I]$ , the arrival time is too early and will arise an extra inventory costs to the container in port yard. This will not be accepted by the shippers.

--If  $t_p^k$  is in the time duration of  $[T_2, +\infty]$ , the arrival time will be too late to catch up with the ship departure. This will cause a broken stowage and will increase the transport costs of ocean shipping, especially when the number of containers in the last arrival is big. This will not be accepted by the liners.

Notations of other variables and parameters in the optimal time connection model are as follow.

 $t_p$ : the average inventory time of the leaving containers in port yard, h.

 $T_p^{ship}$ : the turnover time of container ship in port, h.

 $t_p^{\ ship}$ : the time of loading operation of ship for unit container in wharf apron, h/TEU.

 $t^{truck}_{\quad p}$ : the turnover time of trailer for transferring the containers between the yard and the shore-side, h/trailer times.  $t_p^{\ dep}$ : the departing time of ship according to the timetable in the port.

 $T_{sp}^{\quad k \quad -line}$ : the travel time of container train from the original railway central station to container port, h. It is need to note that

there exist a physical distance between the terminal station of railroad trains and port yard. Considering the seamless demand of sea-rail intermodal transport, we assume that the distance between the terminal station of container train and port yard could be neglected, compared with the long travel distance between OD. Those containers transported by railroad trains can be transferred to port yard directly.

 $T_s^k$ -mid: the total operational time of container train occurring in the railway central stations en route, if the train is a type of connecting train and has some operations in this station, h.

 $T_s^k$ -<sub>des</sub>: the total operational time of container train occurring in the railway central station in/near the container port, including the arrival time, the unloading time and the transferring time between the terminal station and the port, h. According to the note above, the transferring time between the terminal station and the port could be neglected.

 $\Delta t$ : the delay time of ship arising from all reasons except the loading and unloading operations and occurring during the berth time after into port and before departing port.

 $\Delta T$ : the total delay time of container from leaving from the railway central station to departing from container port, h.

 $\omega$  · 24 : the conversion relationship of time and date.

 $\theta$ : the matching coefficient of equipment allocation in port. In loading and unloading operational system in container port, it means the ratio between the bridge cranes in wharf apron, the gantry cranes in port yard, and the trailers used for transferring between yard and wharf apron.

In general speaking, it needs 3-5 bridge cranes for the loading and unloading operations of one ship. When it allocated 3 bridge cranes, the optimal ratio between gantry crane and bridge crane is 2.286, and 6.08 it is between trailer and bridge crane.

 $\beta$ : the fluctuant coefficient of container volume, coming from the change of transport demand and supply capacity. It is an empirical value as  $\beta = 1.1 \sim 1.4$ .

1/2: the capacity factor of container trailer. That means the transferring capacity of one trailer is two twenty-feet container (2TEU) per time.

## IV. TIME CONNECTION OPTIMAL MODEL OF CONTAINER SEA-RAIL TRAIN

## A. Optimal Model

According to the 5Rs rules, the responsive characteristics and the specific connection demands in both volume and time of container sea-rail intermodal transport, the paper establishes a multi-objective optimal model for inland-port-transferring RHCTS container train connection time.

The multi-objective optimal model of container sea-rail train time connection is illustrated as follows.

$$\min Z_1 = \beta \, \mathcal{Q}_s^{rest} + \int_{t \, diso} \int_{y \in P} dt \, dt - \sum_{p \in P} \sum_{k \in K} 2m \, \int_{sp}^k x_{sp}^k \, dt$$

$$\tag{1}$$

(4)

(8)

$$\begin{aligned} & \min Z_2 = Q_p^{rest} + \sum_{s \in S} \sum_{k \in K} 2 \, m_{sp}^{\ k} \, x_{sp}^{\ k} - \sum_{n \in N_p} n_p^{\ ship} \, Q_p^{\ ship} \\ & \min Z_3 = \sum_{k \in K} 2 m_{sp}^{\ k} \, x_{sp}^{\ k} \, \left( c_p^{\ sc} \, t_p + c_p^{\ zhx} \right) + \\ & \sum_{n \in N_p} \frac{1}{c} \, t^{ruck} \, n_p^{\ ship} \, \min \left( Q_p \, \right) & \sum_{s \in S} \sum_{k \in K} n_p^{\ k} + C_p^{\ ship} \\ & \sum_{n \in N_p} 2 & \sum_{s \in S} \sum_{k \in K} n_p^{\ k} + C_p^{\ ship} \end{aligned}$$

$$\sum_{k=1}^{S} \sum_{j=1}^{S} \sum_{k=1}^{S} \sum_{j=1}^{S} \sum_{j=1}^{S} \sum_{j=1}^{S} \sum_{k=1}^{S} \sum_{j=1}^{S} \sum_{k=1}^{S} \sum_{j=1}^{S} \sum_{j=1}^{S} \sum_{j=1}^{S} \sum_{k=1}^{S} \sum_{j=1}^{S} \sum_{j=1}^{S} \sum_{j=1}^{S} \sum_{k=1}^{S} \sum_{j=1}^{S} \sum_{j$$

$$s \in s \ k \in K$$

$$t_n^{dep} = t_s^{k-dep} + \left(T_{sp}^{k-line} + T_{s-mid}^{k} + T_{s-des}^{k}\right) + T_p^{ship} + \Delta T - \omega \cdot 24$$

$$t_{s^{k}-dep}, t_{p^{dep}} \ge 0, \ \exists t_{s}^{k} - dep, t_{p}^{dep} = 0 \sim 24$$

$$x_{sp}^{k}, m_{sp}^{k} \ge 0 \ x_{sp}^{k}, m_{sp}^{k} \in Z. \forall s \in S, p \in P, k \in K, r_{sp}^{k} \in R$$

$$t_{sp}^{k} - dep, t_{p}^{k} - dep, t_{p}^{k} \in R$$

$$t_{sp}^{k} - dep, t_{p}^{k} - dep, t_{p}^{k} \in R$$

$$t_{sp}^{k} - dep, t_{p}^{k} \in R$$

## B. Objectives and Constraints

Objectives (1) and (2) show the goals of minimizing the rest number of containers in railway station and port yard respectively. Objective (3) expresses the goal of minimizing the total transport costs including those happened both in port and sea transport. All of these three objectives reflected the responsive characteristics and 5Rs demand of container searail intermodal transport.

Equation (4) illustrates the capacity constraint of original railway logistics central station. That means the total number of containers transported by the container trains from railway station to related container ports is no more than the maximum inventory number of containers,  $Q_{\rm max}$ , in the original railway station.

Equation (5) shows the capacity constraint of railway tracks. That means within the given period, the total number of container trains operated from the original railway logistics central station  $O(s_i)$  to container port  $D(p_j)$  is no more than the permitted number of trains which is restricted to the through capacity of the railroad tracks between the above OD.

Equation (6) illustrates the taking over capacity constraint of container port  $D\left(p_j\right)$ . That means within the given period, the total number of containers transported by container trains from

 $O(s_i)$  to  $D(p_i)$  is no more than the maximum accepting

capacity of port,  $Q_p^s$ , which is allocated to this OD.

Equation (7) shows the turnaround time constraint of container ship in port. The prerequisite of this constraint is the volume connection constraint of responsive demand of sea-rail intermodal transport. That is to say when the given container

train arrived at the yard of the port  $D(p_j)$ , all of the containers

in this train can be loaded on the ship and meet the volume connection demand of this ship. Then, the ship could depart the port on time.

Equation (8) shows the connection time constraint of the container sea-rail intermodal transport responsive demand.

- (5) That is to say the total transport time, from departing the original railway central station of inland-port-transferring
- (6) RHCTS to finishing the loading operation of container ship, including all time because of any operations and delays happed in the transportation process between the OD. This total time
- (7.1) exhausting could meet the departure time demand of the ship according to the timetable of the container port.

Non-negative and value range constraints of decision

- (7.2) variables are illustrated as (9) and (10). Among them,  $t_p^{dep}$  and
  - $t_s^{k-dep}$  are both time variables. The range of values is determined according to 24-hour system.  $x_{sp}^{k}$  is the number of container trains operated between original railway central

station  $O(s_i)$  and container port  $D(p_j)$ . While  $m_{sp}^{k}$  is the number of container flatcars in one container train.

Adopting the modified Genetic Algorithm, the model could get the optimal objectives and the desired value of decision variables. And the departing time of container train from the original railway central station  $t_s^{k-dep}$  could meet the demands of departing time and volume requirement of ship from container port.

V. CASE STUDY OF ZHENGZHOU I-RHCTS SEA-RAIL INTERMODAL TRANSPORT CONNECTION TIME

## A. In One-to-one Network Conditions

According to the time connection optimal model and applying Genetic Algorithm in a one-to-one network condition, the paper gets the optimal values of objectives as well as the connection time of Sea-Rail Intermodal Container Trains, SRICT, operated from the railway logistics central station of Zhengzhou I-RHCTS to Qingdao container port.

The results are shown in table I and table II.

TABLE I
SCHEME OF SRICT BETWEEN ZHENGZHOU AND QINGDAO IN 2012

Arriving	Departing	OD	Running	Intermedi	Train	Train
port	station		cycle	ate stop	style	length
	Zhengzhou	ZZ-QD	1/per day	-	1*	36w
Qingdao	Xi'an	(XA)ZZ	1/per day	Zhengzh	2*	40w
		-QD		ou		

Note:

1\* is a type of express and through train, one deck, with the container flow between Zhengzhou and Qingdao.

2\* is a type of express train, one stop and one deck, with the container flows of Xi'an-Qingdao and Zhengzhou-Qingdao.

36w means there're 36 container flatcars in one train.

The scheme table comes from the reference [1].

#### --Scheme one

The transport operation of the first type of train is illustrated as Fig.2.

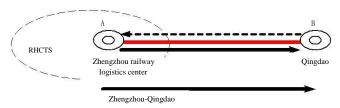


Fig. 2. Sea-rail intermodal container train between Zhengzhou-Qingdao, express, through and one deck

#### --Scheme two

The transport operation of the second type of train is illustrated as Fig.3.

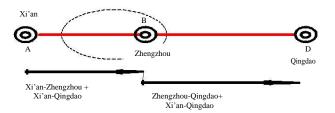


Fig. 3. Sea-rail intermodal container train between Xi'an-Qingdao, express, one-stop and one deck

## -- The results of optimal model for scheme one

For the through train between Zhengzhou and Qingdao, the results of optimal model are shown in table  $\,\mathrm{II}\,.$ 

 $TABLE \ II$  Optimal Results of Scheme One Between Zhengzhou and Qingdao

Content	Index	Unit	Values	Note
of train				
	Q	TEU	41	Quantity of rest
	s			containers in station
		TEU	32	Quantity of rest
	$Q_p$			containers in port yard
7h an agh au	C	Yuan	774592	Total costs including
Zhengzhou				port and sea shipment
-Qingdao	k -dep	-	8:45am of the	Departing time of train
	$t_s$		given day*	from station
	dep	-	11:30am, 2days	Departing time of ship
	$t_p$		later of the	from port
			given day	

Note: supposed that the container ship will berth in the port at 6pm the day after the train's departure.

The calculation results of the optimal model are illustrated in table II. Actually, the container trains will run according to the timetable. The meaning of the optimal results is offering the better alternative from the timetable which is the nearest time with the optimization.

And the same method could be used to get the optimization

under a one-to-many network conditions.

#### B. In One-to-many Network Conditions

In reality, the container transport railroad network is complex. The more conditions are one -to-many or many-to-many network. It assumes that the international terminal port is given in an international multimodal transportation chain. For the one-to-many network, the original station has to determine the order of the container ports and allocate the containers to different trains in different lines to get the optimal objectives. The details could be found in reference [1].

This part applies the model and method to solve the same problem in a one-to-many network condition. It obtains the optimal values of objectives and the connection time of SRICT operated from Zhengzhou to Shanghai, Guangzhou and Lianyungang container ports respectively.

## 1) Zhengzhou-Shanghai Sea-rail Intermodal Container Train Scheme and Optimal Results

#### --Scheme

The scheme of SRICT between Zhengzhou and Shanghai is shown as table III.

TABLE III
SCHEME OF SRICT BETWEEN ZHENGZHOU AND SHANGHAI IN 2012

Arriving	Departing	OD	Running	Intermedi	Train	Train
port	station		cycle	ate stop	style	length
	Lanzhou	(LZ,	1/every	Xi'an,	1*	38w
Chana		XA)ZZ-	2days	Zhengzh		
Shang hai		SH		ou		
nai	Zhengzhou	ZZ-SH	1/per day	Xuzhou	2*	32w
	-	/LYG				

Note:

1\* is a type of express train, one deck, two-stops with the container flows of Lanzhou-Shanghai, Xi'an-Shanghai and Zhengzhou-Shanghai.

2\* is a type of express train, one stop and one deck, with the container flows of Zhengzhou-Shanghai, Zhengzhou-Xuzhou, Xuzhou-Shanghai and Xuzhou-Lianyungang.

The scheme table comes from the reference [1].

## --Optimal results

For the first type of container train, the calculation results are shown as table IV.

Of HWAL RESULTS OF TIKST TITE OF TRAIN OF ZHENGZHOU SHANGHAI							
Content	Index	Unit	Values	Note			
of train							
		TEU	13	Quantity of rest			
	$Q_s$			containers in station			
		TEU	44	Quantity of rest			
(T1	$Q_p$			containers in port yard			
(Lanzhou,	Ċ	Yuan	550368	Total costs including			
Xi'an)				port and sea shipment			
Zhengzhou	k =dep	-	22:17 of the	Departing time of train			
-Shanghai	$t_s$		given day*	from station			
	dep	-	13:30, the third	Departing time of ship			
	$t_p$		day after the	from port			
			given day				

2) Zhengzhou-Guangzhou Sea-rail Intermodal Container Train Scheme and Optimal Results

#### --Scheme

The scheme of SRICT between Zhengzhou and Guangzhou is shown as table  $\,V_{\,\cdot\,}$ 

TABLE V
SCHEME OF SRICT BETWEEN ZHENGZHOU AND GUANGZHOU IN 2012

SCHEME OF SKICT BETWEEN ZHENGZHOU AND GUANGZHOU IN 2012						
Arriving	Departing	OD	Running	Intermedi	Train	Train
port	station		cycle	ate stop	style	length
G	Zhengzhou	ZZ-GZ	1/per day	-	1*	42w
Guang zhou	Urumqi	(U, LZ) zz-gz	1/per day	LZ,ZZ	2*	38w

#### Note:

1\* is a type of express through train, one deck, with the container flow between Zhengzhou and Guangzhou.

2\* is a type of express train, one deck, two-stops with the container flows of Urumqi-Zhengzhou, Urumqi-Guangzhou, Lanzhou-Guangzhou and some Zhengzhou-Guangzhou.

The scheme table comes from the reference [1].

## --Optimal results

For the first type of container train, the calculation results are shown as table **VI**.

TABLE VIOptimal Results of First Type of Train of Zhengzhou-Guangzhou

Content	Index	Unit	Values	Note
of train				
		TEU	31	Quantity of rest
	$Q_s$			containers in station
	$oldsymbol{Q}$ tei		34	Quantity of rest
	P			containers in port yard
7h an agh au	C	Yuan	428064	Total costs including
Zhengzhou-				port and sea shipment
Guangzhou	k -dep	-	14:33 of the	Departing time of train
	$t_s$		given day*	from station
	dep	-	18:30, the fifth	Departing time of ship
	$t_p$		day after the	from port
			given day	

## 3) Zhengzhou-Lianyungang Sea-rail Intermodal Container Train Scheme and Optimal Results

### --Scheme

The scheme of SRICT between Zhengzhou and Lianyungang is shown as table  $\mbox{VII}$ .

TABLE  $\[VII]$  Scheme of SRICT between Zhengzhou and Lianyungang in 2012

Arriving	Departing	OD	Running	Intermedi	Train	Train
port	station		cycle	ate stop	style	length
	Zhengzhou	ZZ-	1/per day	-	1*	25w
Lianyun		LYG				
•	Urumqi	(U,XA)	1/per day	XA,ZZ	2*	43w
gang	•	ZZ-				
		LYG				

#### Note:

1\* is a type of express through train, one deck, with the container flow between Zhengzhou and Lianyungang.

2\* is a type of express train, one deck, two-stops with the container flows of Urumqi-Lianyungang, Xi'an-Lianyungang and Zhengzhou-Lianyungang. The scheme table comes from the reference [1].

### --Optimal results

For the first type of container train, the calculation results are shown as table IV.

## TABLE IV

OPTIMAL RESULTS OF FIRST TYPE OF TRAIN OF ZHENGZHOU-LIANYUNGANG							
Content of train	Index	Unit	Values	Note			
	$Q_{_{_{s}}}$	TEU	10	Quantity of rest containers in station			
(Longhou	$Q_{\scriptscriptstyle P}$	TEU	26	Quantity of rest containers in port yard			
Lanzhou, Xi'an) Zhengzhou	С	Yuan	764400	Total costs including port and sea shipment			
Shanghai	$t_s^{k-dep}$	-	19:25 of the given day*	Departing time of train from station			
	dep	-	5:30am, the	Departing time of ship			
_	$t_p$		third day after the given day	from port			

#### VI. CONCLUSIONS

The calculation results of optimal model are in accordance with the operation facts of Zhengzhou railway container central station. The multi-objective optimal model is valid and can be used in a complex rail-network in container sea-rail intermodal transport.

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